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Department of Statistics

Statistics C183/C283

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Introduction to the package stockPortfolio

As short introduction of the package stockPortfolio.

```
#####  
#==> ((((( 1 ))))) <==#  
#==> quick example <==#  
#####  
# load package  
library(stockPortfolio)  
  
# select stocks  
#IBM: International Business Machines Copr.  
#WFC: Wells Fargo & Compnay  
#JPM: JPMorgan Chase & Company  
#LUV: Southwest Airlines Co.  
#XOM: Exxon Mobil Corporation  
  
ticker <- c("IBM", "WFC", "JPM", "LUV", "XOM")  
  
#Get stock data  
gr <- getReturns(ticker, start="2005-03-31", end="2010-03-31")  
  
#gr is a "list" object and we find what it contains by typing the following:  
names(gr)  
  
#We can access each component of gr by typing:  
gr$R  
gr$ticker  
etc.  
  
#Obtain the variance-covariance matrix of the returns:  
> cov(gr$R)  
      IBM      WFC      JPM      LUV      XOM  
IBM 0.0040317283 0.0011198635 0.0019111776 0.0018376731 0.0005219823  
WFC 0.0011198635 0.0140009223 0.0090748082 0.0045614185 0.0002158645  
JPM 0.0019111776 0.0090748082 0.0087172088 0.0040831109 -0.0001559581  
LUV 0.0018376731 0.0045614185 0.0040831109 0.0082593478 -0.0004506132  
XOM 0.0005219823 0.0002158645 -0.0001559581 -0.0004506132 0.0026259464  
  
#Obtain the correlation matrix of the returns:  
cor(gr$R)  
  
#We can find summary statistics as follows:  
summary(gr$R)  
  
#To find the mean, variance, and standard deviation of a particular stock  
mean(gr$R[,4])  
var(gr$R[,4])  
sd(gr$R[,4])
```

```

#To find the means of all five stocks:
xx <- as.data.frame(gr$R)
mean(xx)

#To find the covariance and correlation between two stocks:
cov(gr$R[,4], gr$R[,5])
cor(gr$R[,4], gr$R[,5])

=====
Use two stocks to find the minimum risk portfolio (its composition, expected return, and standard
deviation). Note: The following lines until the end of this page can be done outside the package!
Let's work with two stocks: IBM and LUV.

#Find the composition of the minimum risk portfolio:
x_IBM <- (var(gr$R[,4]) - cov(gr$R[,1], gr$R[,4])) /
(var(gr$R[,1]) + var(gr$R[,4]) - 2*cov(gr$R[,1], gr$R[,4]))
x_LUV <- 1-x_IBM

# Find the mean and sd of the minimum risk portfolio:
mean_min <- x_IBM*mean(gr$R[,1]) + x_LUV*mean(gr$R[,4])

var_min <- x_IBM^2*var(gr$R[,1]) + x_LUV^2*var(gr$R[,4]) +
2*x_IBM*x_LUV*cov(gr$R[,1], gr$R[,4])

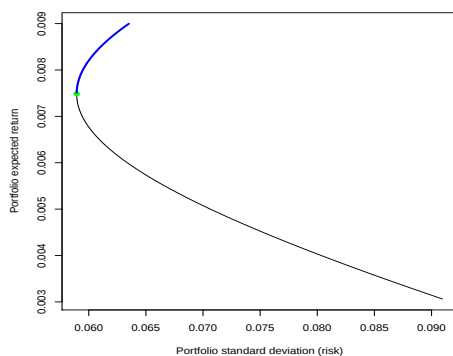
sd_min <- var_min^0.5

# Construct the portfolio possibilities curve and identify the efficient frontier:
a <- seq(0,1,.01)
b <- 1-a
mean_p <- a*mean(gr$R[,1]) + b*mean(gr$R[,4])
var_p <- a^2*var(gr$R[,1]) + b^2*var(gr$R[,4]) +
2*a*b*cov(gr$R[,1], gr$R[,4])
sd_p <- var_p^0.5

plot(sd_p,mean_p, type="l", xlab="Portfolio standard deviation (risk)",
ylab="Portfolio expected return")
points(sd_min, mean_min, pch=19, col="green")

# Identify the efficient frontier:
xx <- cbind(sd_p,mean_p)
xxx <- xx[which(xx[,2]>mean_min),]
points(xxx, type="l", col="blue", lwd=3)

```



We will use now the `stockPortfolio` package to find the point of tangency (point G):

#Step 1: Select a model. At this point we only know one model (short sales + risk free rate). We call this no model, denoted with "none".

```
port_model <- stockModel(gr, model="none", Rf=0.001)
```

#Step 2: Optimize, i.e. find the composition of the point of tangency.

```
op <- optimalPort(port_model)
```

#Note: `op` is a class of "optimalPortfolio" and contains the following:

#model: The model used (here "none").

#X: The composition of the point of tangency.

#R: The expected return of the point of tangency.

\$risk: The standard deviation of the point of tangency.

#All the above information can be accessed using `op$name`, where `name` is one of (model, X, R, risk).

#For example:

```
> op$X
```

|  | IBM         | WFC         | JPM         | LUV          | XOM         |
|--|-------------|-------------|-------------|--------------|-------------|
|  | 0.489511049 | 0.001947768 | 0.337708840 | -0.181017319 | 0.351849663 |

```
> op$R
```

```
[1] 0.009327074
```

```
> op$risk
```

```
[1] 0.05073789
```

#Visualization!

#Add the portfolio possibilities curve:

```
portPossCurve(port_model, xlim=c(0,0.25), ylim=c(-0.005,0.02))
```

#Add a cloud of many portfolios:

```
portCloud(port_model, add=TRUE)
```

#Add the five stocks plus the point of tangency:

```
points(op, pch=19, add=TRUE)
```

```
points(op$risk, op$R, pch=19, col="green")
```

#Add the tangent (the following will draw the line only up to G):

```
Rf <- 0.001
```

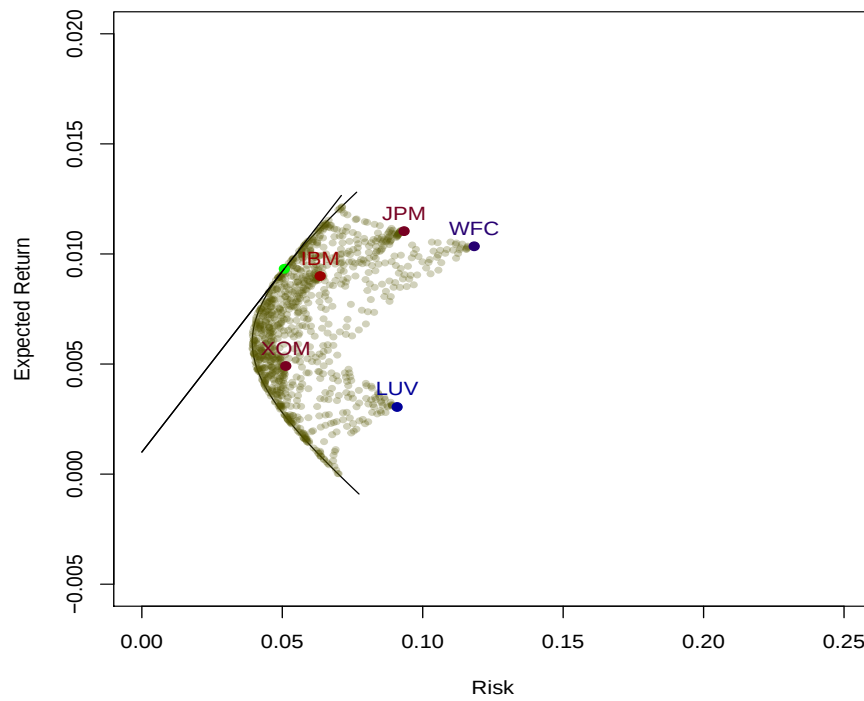
```
segments(0, Rf, op$risk, op$R)
```

#If you want to extend the tangent beyond G:

```
slope <- (op$R-Rf)/op$risk
```

```
segments(0, Rf, 1.4*op$risk, Rf+slope*1.4*op$risk)
```

The graph of the commands above is shown below:



So far we have use the following functions of the `stockPortfolio` package:

```
getReturns  
stockModel  
optimalPort  
portPossCurve  
PortCloud
```