

HW#10

A. H_0 : mean height =69
 H_a : mean height >69

B. $E(\bar{X})=E(X)$
 $SD(\bar{X})=SD(X)/\sqrt{n}=SD(X)/10$

C. a) null hypothesis H_0 : diff=0

Alternative hypothesis H_a : diff>0

b) According to the null hypothesis, $E(\bar{X})=E(X)=0$

c) \bar{X} of observed value = $(1.2+2.4+\dots+1.4)/10=1.58$

d) SD of observed differences = $\sqrt{[(\sum(x-\bar{x})^2)/(n-1)]}=1.23$

e) Using table in Appendix F, $P(T>1.38)=0.1$ $P(T>2.82)=0.01$ (df=9)

f) Observed value of $T=(1.58-0)/(1.23/\sqrt{10})=4.06$

g) The smallest value of the observed value of T for which we would reject the null hypothesis is 1.83

h) Yes, reject the null hypothesis

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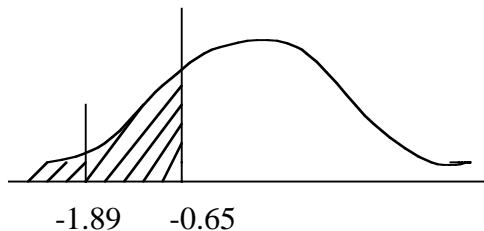
3. $H_0: \mu=50$

$H_a: \mu<50$

$\bar{x}=49.25$, sample has 8 plots, SD of sample =3.25,

$T=(49.25-50)/(3.25/\sqrt{8})=-0.65$

According to the alternative hypothesis, $Pvalue=P(T<-0.65)$



df=7, if significant level is 5%, $Pvalue >0.05$, so fail to reject the null hypothesis.
($t=1.89$ at 5% significant level with 7 degree of freedom)

4. $\bar{X}=(62+83+\dots+266+277)/17=146.5$

$SD=\sqrt{[(\sum(x-\bar{x})^2)/(n-1)]}=\sqrt{68078.25/16}=260.9/4=65.229$

$T=(146.5-160)/(65.229/\sqrt{17})=-0.853$

$H_0: \bar{x}=160$

$H_a: \bar{x}>160$

Df=16, $pvalue=P(T>-0.853)>0.05$, fail to reject the null hypothesis.

($t=1.75$ at 5% significant level with 16 degree of freedom.)

5. H_0 : diff=0 H_a : diff>0

$T=(5-0)/(3.4/\sqrt{14})=5.5$

Df=13, $pvalue=P(T>5.5)<0.05$, so reject the null hypothesis.

($t=1.77$ at 5% significant level with 13 degree of freedom.)